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(Regular application claiming priority of a provisional)

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Sir: This is a request for filing a patent application under 37 CFR. § 1.53(b) in the name of inventors:
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For: **ENCRYPTION PROCESSOR FOR PERFORMING ACCELERATED COMPUTATIONS
TO ESTABLISH SECURE NETWORK SESSIONS CONNECTIONS**

Priority of U.S. Provisional Application No. 60/142,891 filed on July 8, 1999 is claimed under 35 U.S.C. § 119(e).

Application Elements:

- ☒ 22 Pages of Specification, Claims and Abstract
- ☒ 6 Sheets of **informal** Drawings
- ☐ Combined Declaration and Power of Attorney
- ☐ Separate Declaration

Accompanying Application Parts:

- ☐ Assignment and Assignment Recordation Cover Sheet (recording fee of \$40.00 enclosed)
- ☐ Separate Power of Attorney by Assignee
- ☐ 37 CFR 3.73(b) Statement by Assignee
- ☐ Information Disclosure Statement with Form PTO-1449
- ☐ Copies of IDS Citations
- ☐ Preliminary Amendment
- ☒ Return Receipt Postcard

- ☐ Small Entity Statement(s)
☐ Other:

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General Authorization for Petition for Extension of Time (37 CFR §1.136)

☒ Applicants hereby make and generally authorize any Petitions for Extensions of Time as may be needed for any subsequent filings. The Commissioner is also authorized to charge any extension fees under 37 CFR §1.17 as may be needed to Deposit Account No. 50-0388 (Order No. BRCMP002).

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APPLICATION FOR U.S. PATENT

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COMPUTATIONS TO ESTABLISH SECURE NETWORK SESSIONS
CONNECTIONS**

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COMPUTATIONS TO ESTABLISH SECURE NETWORK SESSIONS
CONNECTIONS**

5

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RELATED APPLICATIONS

10 This application claims the benefit of priority under 35 USC 119 § 119(e) of provisional application Serial No. 60/142,891 entitled Implementations for Cryptography Acceleration filed July 8, 1999 and incorporated by reference herein for all purposes.

15 **BACKGROUND OF THE INVENTION**

1. Field of Invention

 The present invention relates to network security, and more particularly, to an encryption processor for performing accelerated computations to establish secure network sessions.

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2. Description of the Related Art

 For Virtual Private Networks (VPN) and E-commerce applications, security is
25 the number one concern. For VPN applications, the commonly used security protocol is Internet Protocol Security (IPSec). For E-commerce applications, the security protocol deployed is Secure Socket Layer (SSL). SSL is embedded in every web browser. Before an SSL session can be established, symmetrical keys need to be established at both the client and server. This is accomplished by the use of a public
30 key operation by the client and a private key operation by the server. In other words, the client uses the public key of the server to encrypt a message which is then sent to the server. The message is then decrypted by the server using its own private key (only the server knows its own private key). Once the message is decrypted, both the client and server have the same message to generate a symmetrical key. They can use
35 the symmetrical key to encrypt/decrypt any messages transmitted and received between the client and server. Thus a private SSL session is established.

The IPsec session keys are typically established using Diffie-Hellman (DH) algorithm in the Internet Key Exchange (IKE) protocol. IKE also utilizes RSA and Digital Signature Algorithm (DSA) algorithms for Public Key Infrastructure (PKI). The algorithms used in SSL are RSA, DH, and DSA. RSA is by far the most used
5 algorithm in SSL protocol because its simplicity and its easy integration with PKI. However, DH and DSA are also occasionally used in SSL. DSA is the algorithm favored by government agencies. Common to all three algorithms is the time-consuming modular exponentiation ($C = M^e \bmod N$) operation. One problem with the
10 aforementioned security protocols is the time involved in computing the modular exponentiation ($C = M^e \bmod N$) operation. Typically, the values of C and N are both 1024 bits wide. The value of exponent e can also be as large as 1024 bits wide. The For example, the RSA private key decryption used by a server commonly has an exponent 1024 bits wide for stronger security. This means the calculation is extremely
15 computation intensive, often resulting in relatively long delays before a secure connection is established. This problem is further compounded by the fact that the computation is typically performed by 32 or 64 bit microprocessor(s) in a server and not a dedicated device.

The Montgomery method for modular exponentiation is a technique that provides efficient implementation of modular multiplication without explicitly
20 carrying out the classic modular reduction step. A modular multiplication usually consists of two operations: (1) multiplication and (2) modular reduction. The classic modular reduction step typically involves long division operation. For digital systems, division is a tedious operation and takes many clock cycles to complete. Montgomery method effectively removes many division operations required in the classic modular
25 exponentiation operation and speeds up the total execution time for modular exponentiation. Montgomery method converts the classic modular exponentiation operation to a different residue space (the step is called Montgomery reduction operation). If a residue space of 2^n , where n is the length of modulus N in base 2, is chosen, the subsequent modular multiplication operations embedded in the modular
30 exponentiation operation become two multi-precision multiplication operations followed by one right shift operation. For more information on the Montgomery method, see P. Montgomery, "Modular Multiplication Without Trial Division", Mathematics of Computation, 44(1985), pp 519-521.

Although helpful, the use of Montgomery mathematics is still too slow when implemented by a standard microprocessor in a server. This is particularly true at a busy web site where many Internet users are seeking to establish secure communications with the server because the SSL related computations consume an inordinate amount of the microprocessors time and resources.

An encryption processor for performing accelerated computations to establish secure network sessions is therefore needed.

SUMMARY OF THE INVENTION

The present invention relates to an encryption processor for performing accelerated computations to establish secure network sessions. The encryption processor includes an execution unit and a decode unit. The execution unit is configured to execute Montgomery product and Montgomery square operations and including at least one adder and at least two multipliers. The decode unit is configured to determine if a Montgomery square operation or a Montgomery product operation needs to be performed and to issue the appropriate instructions so that certain multiply and/or addition operations are performed in parallel in the execution unit while performing either the Montgomery square operation or Montgomery product operation.

15

BRIEF DESCRIPTION OF THE DRAWINGS

The invention may best be understood by reference to the following description taken in conjunction with the accompanying drawings in which:

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Figure 1A through 1C are block diagrams of servers using the encryption processor according to several embodiments of the present invention.

Figure 2 is a block diagram of the encryption processor according to one
10 embodiment of the present invention.

Figure 3 is a diagram illustrating the cycles used to execute a product operation.

Figure 4 is a diagram illustrating the cycles used to execute a square
15 operation.

Figure 5 is a detailed block diagram of the execution unit of the encryption processor according to one embodiment of the present invention.
20

DETAILED DESCRIPTION OF THE EMBODIMENTS

The encryption processor of the invention can be used in establishing secure network sessions for various applications and markets. Examples of specific application areas are the follows: Secure web servers deploying Secure Socket Layer (SSL)/Transport Layer Security(TLS); Secure web switches deploying SSL/TLS; Internet load balancers with SSL/TLS termination functionality; Internet appliances for Virtual Private Network (VPN) or/and E-commerce applications; Router-based security and VPN support for enterprise and ISPs; Remote access devices for VPN application; Concentrator-based security for enterprise and ISPs; Subscriber management systems with VPN support; Firewalls with VPN support; and VPN gateways. For the sake of simplicity, the details of the encryption processor are described in relation to establishing an SSL connection between a client and server. As will be apparent to those skilled in the art, the encryption processor described below can be used in all of the other applications and markets described above.

Referring to Figure 1A, a block diagram of a server using an encryption processor according to one embodiment of the present invention is shown. The server 10 includes a central processing unit (CPU) 12 including one or more microprocessors (not shown), a system memory 14, and an encryption processing unit (EPU) 16 coupled to the CPU 12 and the system memory 14 through a system bus 18. According to one embodiment of the invention, the system bus 18 is a PCI bus and a bridge chip (not shown) is used to couple the CPU 12 to the system memory 14 and the EPU 16). According to other embodiments of the invention, any type of other system bus can be used.

Referring to Figure 1B, a block diagram of a server using an encryption processor according to another embodiment of the present invention is shown. The server 10 includes a central processing unit (CPU) 12 including one or more microprocessors (not shown), a system memory 14, and an EPU 16 embedded in the CPU 12. With this embodiment, the EPU is located on one of the microprocessors contained in the CPU 12. With this arrangement, the CPU 12 can communicate directly with the EPU 16 on the same chip without the use of a system bus.

Referring to Figure 1C, a block diagram of a server using an encryption processor according to another embodiment of the present invention is shown. The server 10 includes a central processing unit (CPU) 12 including one or more

microprocessors (not shown), a system memory 14 coupled to the CPU 12 through a system bus 18, and an EPU 16 coupled to the CPU 12 through a dedicated bus 20. With this arrangement, the CPU 12 and the EPU 16 can directly communicate with one another over the dedicated bus 20 without the use of the system bus 18.

With each of the embodiments, the EPU 16 is a dedicated processor used for performing accelerated computations to secure network sessions between clients and the server 10. When a request for a SSL connection is made to the server 10, it is off-loaded to the EPU 16. With each request, the EPU 16 obtains the values modulus N, private key d and cipher text C sent by the client from system memory 14 and calculates the value of clear text M to establish the session. In this manner, the CPU 12 is relieved of this overhead and can therefore work on other processing tasks. In alternative embodiments, the EPU 16 can also obtain the values of N, d and C from the CPU 12 when in a master-slave mode.

Figure 2 is a block diagram of the encryption processor unit according to one embodiment of the present invention. The EPU 16 includes a decode unit 30, an execution unit 32, and a memory 34. The memory 34 contains a register set 35 which includes registers R1 through Rn. The execution unit 32 includes a plurality of multiplier units 36a through 36n, an adder 38. During operation, the decoder receives a request for establishing an SSL session from a client. When this occurs, the decode unit 30 fetches the values N, d and C from system memory 14 and issues the appropriate micro-instructions so that the M can be computed in the execution unit 32.

With modular math, M in the equation $M = C^d \bmod N$ is calculated by scanning the Most Significant Bit (MSB) positions of the exponent (d) and determining the first bit position equal to a first logic state (i.e., “1”). With this bit position, both a square $A * A \bmod N$ and product $A * B \bmod N$ is performed. Subsequently for the remaining bit positions to the Least Significant bit (LSB), either only a square operation $A * A \bmod N$ is performed if the bit position is of a second logic state (i.e., logic “0”) or both a square $A * A \bmod N$ and product $A * B \bmod N$ operations are performed if the bit position is of the first logic state. For example, with each bit position (n) after the MSB equal to the first logic state, the following operations are performed:

If $d(n) = 0$, then $B = (A^*A) \bmod N$; and

$$\begin{aligned} \text{If } d(n) = 1, \text{ then} \quad & C = (B*B) \bmod N \\ & E = (D*C) \bmod N. \end{aligned}$$

5 This sequence is repeated for all subsequent bit positions in the exponent (d) after the MSB position equal to the first state to the LSB. Since the result of each bit position of the exponent (d) is cumulative, the final value of mod N is computed after the LSB calculation is performed.

10 Therefore the decode unit 30 performs the following for each bit position of the exponent (d) from the first bit position equal to the first logic state to the LSB:

(a.1) the decode unit 30 issues a first set of instructions to the execution unit 32 so that the execution unit 32 can perform a Montgomery square operation on the operands; and if (d = 1), then:

(a.2) the decode unit 30 issues a second set of instructions to the execution unit 32 so that the execution unit 32 can perform a Montgomery product operation on the operands; and

(b) calculating the final result of M by accumulating the result of each iteration of the above for each bit position in the exponent (d) from the MSB to the LSB.

25 The instruction set used by decode unit 30 includes instructions that reduce the time required to perform the Montgomery square and Montgomery product operations. This is accomplished with specific instructions that introduce a high degree of parallelism. More specifically, these instructions cause either multiple multiplication operations to be performed simultaneously using multiplication units 30 34a through 34n and/or multiplication operations to be performed simultaneously with add operations using adder 38. As a result, the number of clock cycles required to complete either the Montgomery square or the Montgomery product is reduced. Since the equation $M = C^d \bmod N$ is so computation intensive, particularly with C and

d values being 1024 bits wide, the benefits of the reduced number cycles per iteration reduces the overall time required to establish an SSL connection. To best illustrate the operation of these instructions, several examples are provided below.

Figure 3 is a diagram illustrating the cycles used to execute a product operation in an implementation of the encryption processor of the present invention having two multipliers and one adder. Consider the product of the operands (a1, a0) and (b1, b0). In the first cycle, the decode unit 30 issues an instruction (Mult R1 a1,b1 a0,b0). With this instruction, the (a1, b1) and (a0, b0) are simultaneously multiplied using multipliers 36a and 36b respectively. The results of the instruction are then stored in a Register R1. In the second cycle, the decode unit 30 issues another multiplication-add-carry instruction MAC R2 (a1 b0), R1. With this instruction, a1 and b0 are multiplied and the product is added to the contents of R1 and stored in R2. In the third cycle, the decode unit 30 issues another multiply-add-carry instruction MAC R5, R4 (b1, a0) R2. With this instruction b1 and a0 are multiplied and the product is added to the content of R2 and the result is stored in R3. The product operation is thus executed in three cycles. If this operation was executed in a typical processor, it would have likely required many more clock cycles. For example, the multiplications (a0, b0), (a1, b0), (a0, b1), and (a1, b1) would likely be performed sequentially followed by a series of additions of the intermediate multiplication results to complete the execution of this operation.

Figure 4 is a diagram illustrating the cycles used to execute a square operation. Consider the square of the operand (a1, a0). In the first cycle, the decode unit 30 issues an instruction (Mult R1 a1,a1 a0,a0). With this instruction, the (a1,a1) and (a0,a0) are simultaneously multiplied using multipliers 36a and 36b respectively. The results of the instruction are then stored in a Register R1. In the second cycle, the decode unit 30 issues a multiply-add-carry-shift instruction: MAC 2X R2 (a1, a0), R1. With this instruction, (a1 and a0) are multiplied, the product is shifted left by one, and then added with the contents of R1. The result is stored in R2. With binary math, a shift left by one is a 2x multiplication. Accordingly the square operation is executed in two cycles. If this operation was executed in a typical processor, it would have likely required many more clock cycles. For example, the multiplications (a0, a0), (a1, a0), (a0, a1), and (a1, a1) would have been performed sequentially followed by a series of addition operations of the intermediate results of each multiplication to complete the execution of this operation.

Figure 5 is a detailed block diagram of the execution unit of the encryption processor according to one embodiment of the present invention. The execution unit of this embodiment includes two 64 x 64 multipliers, a 256-bit partition adder, and register banks Ra, Rb, Rm and Rn. This execution can support Add, Subtract, Multiply, MAC, Logical and Move instructions on 64, 128 and 256 bit unsigned operands. Table I below shows a summary of all the instructions executed by this unit. The execution unit is controlled by the decode unit 30. In one embodiment, the instruction micro sequence is stored in memory in the decode unit 30. In an alternative embodiment, the control logic is hardwired in the decode unit 30. In either embodiment, the decode unit generates control signals to control the operation of the execution unit and the operands are passed from the memory 34 to the execution unit through the register banks Ra, Rb, Rm and Rn. The results of the operation are stored in Register Rcout registers and carries are stored in bit addressable register.

The 64 x 64 multipliers are used to perform the multiply and MAC operations. These multipliers are used in the first pipeline stage and produce the result in Sum and Carry form. The Sum and Carry vectors produced by the two multipliers are added in the second pipeline stage using a 256-bit Carry Propagate Adder (CPA). In the second pipeline stage a 3x2 compressor is used to add the third operand in case of MAC operation, while multiplexers are used to perform the selection and inversion of inputs for the Addition and Subtraction. Pipeline registers are provided to temporarily store operands to the multipliers and the adder. In one embodiment, the width of the adder operand register is equal to the sum of the widths of the two multiplier result registers.

Instruction Execution

Instructions executed by the processor of Figure 5 can be classified into two categories, add-subtract and multiply. A brief description of the instructions listed in Table I is provided below.

Add-Subtract Instructions

All the Add-Subtract Instructions operate on 128 and 256 bit operands. The inputs are provided using 64-bit source operand registers Ra, Rb, Rm, and Rn, and the result is stored in Rc. In case of 128 or 256-bit operation, Ra, Rb, Rm, and Rn are

concatenated to form 128 and 256-bit operands. The execution unit also supports predicated Subtract operation to support restoring division algorithm needed for Montgomery reduction operation.

5

ADD/SUB Instruction

The ADD(SUB) instruction performs the addition (subtraction) of two operands with carry generation. The input operands are stored in the Ra, Rb, Rm, and Rn registers aligned at 256 bits and result is written back in Rc register.

10

ADDC Instruction

In order to add the carries generated during multiplication execute unit supports ADCC (addition of carries). The instruction is similar to ADD instruction the only difference is that this instruction adds the carries (padded with zeros) at 64-bit boundaries with the 256-bit operand. The advantage of this instruction is that it can add 7 carries produced at 64-bit boundaries in a single cycle. The carries are added using the third input of the 3-2 Compressor of the second pipeline stage.

SUB2X Instruction

The SUB2X instruction performs the subtraction of two operands with one operand shifted by one bit. This operation generates the carry and shifted bit of the input operand to get the 1-bit quotient in Divide operation. The input operands are stored in the Ra, Rb, Rm, and Rn registers. The result and one bit shifted operand is written back to Rc and the operand register respectively. This instruction operates on only 256-bit operands.

25

SUB2XP Instruction

The SUB2XP instruction performs the predicted subtraction of two operands with one operand shifted by one bit. This operation is required to support Restoring Division. This operation generates the carry and shifted bit of the input operand to get the 1-bit quotient in Divide operation. Based on the quotient bit produced in iteration i-1 (if i is the current iteration), input for the subtractor is selected. If the quotient bit is one then the original input (Dividend stored in Ra, Rb, Rn or Rm) is selected else the result (remainder) of the previous iteration is selected.

Multiply Instructions

The MUL (MUL2) instruction performs the simultaneous multiplication of four 64-bit operands with carry generation. The MUL2 instruction performs the multiplication of source operands Ra, Rb, Rm, Rn, and then shifts the result by one bit to perform multiplication by 2. In order to preserve the result after multiply by two, a full adder has been used after the 256-bit carry-propagate-adder. This full adder adds the shifted left MSB bit and the carry out of the 256-bit adder to produce the 257th bit carry-out signal in case of multiplication by 2. MUL (MUL2) instruction completes in three cycles with single cycle throughput. The input operands are stored in the Ra, Rb, Rm, and Rn registers and result is written back in Rc register.

MAC/MACc Instruction

The MAC/MACc instructions perform the multiplication of source operands Ra, Rb, Rm, Rn and the addition of target register Rc. MAC instruction adds one carry with the result, while MACc adds two carries with the result, the address of the carries is specified in the instruction opcode. These instructions complete in two cycles with single cycle throughput. The input operands are stored in the Ra, Rb, Rm, and Rn registers and result is written back in Rc register.

MAC2/MAC22/MAC2c/MAC22c Instruction

The MAC2x instructions perform the multiplication of source operands Ra, Rb, Rm, Rn, and then shifts the result by one bit to perform multiplication by 2 and finally add the result with the target register Rc. The only difference between MAC2 and MAC22 is that; in MAC2 the whole 256-bit result is shifted by 1-bit while in MAC22 only the most significant 128 bits are shifted left. In order to preserve the result after multiply by two, a full adder has been used after the 256-bit carry propagate adder. This full adder adds the shifted left MSB bit and the carry out of the 256-bit adder to produce the 257th bit and carry-out signal in case of multiplication by 2. MAC2 instruction adds one carry with the result, while MAC2c adds two carries with the result, the address of the carries is specified in the instruction opcode. These instructions complete in two cycles with single cycle throughput. The input operands are stored in the Ra, Rb, Rm, and Rn registers and result is written back in Rc register.

TABLE I

Instructions supported by the Execution Unit, || is the concatenation operator, Ci is the input carry, Co is the output carry, and 0Cx is the carry concatenated with '0'.

5

Inst.	Operation	Result	Input Operands	Output
MUL	$Ra[1] \times Rb[1] Ra[0] \times Rb[0]$	$Rc[3:0]$	$64 64$	256
MUL2	$2(Ra[1] \times Rb[1] Ra[0] \times Rb[0])$	$CoSoRc[3:0]$	$64 64$	256 (1bit Cout, & Sout)
MAC	$(Ra[1] \times Rb[1] Ra[0] \times Rb[0]) + (Rd[3:0]) + (Ci)$	$CoRc[3:0]$	$(64 \times 64 64 \times 64) + (64 64 64 64) + Ci$	256 (1bit Cout)
MACc	$(Ra[1] \times Rb[1] Ra[0] \times Rb[0]) + (Ci0) + (Rd[3:0]) + (Ci1)$	$CoRc[3:0]$	$(64 \times 64 64 \times 64) + Ci0 + (64 64 64 64) + Ci1$	256 (1bit Cout)
MAC2	$2(Ra[1] \times Rb[1] Ra[0] \times Rb[0]) + (Rd[3:0]) + (Ci)$	$CoSoRc[3:0]$	$2(64 \times 64 64 \times 64) + (64 64 64 64) + Ci$	256 (1bit Cout, & Sout)
MAC2c	$2(Ra[1] \times Rb[1] Ra[0] \times Rb[0]) + (Ci0) + (Rd[3:0]) + (Ci1)$	$CoSoRc[3:0]$	$2(64 \times 64 64 \times 64) + Ci1 + (64 64 64 64) + Ci0$	256 (1bit Cout, & Sout)
MAC22	$2(Ra[1] \times Rb[1] (Ra[0] \times Rb[0]) + (Rd[3:0]) + (Ci)$	$CoSoRc[3:0]$	$2(64 \times 64) (64 \times 64) + (64 64 64 64) + Ci$	256 (1bit Cout, & Sout)
MAC22c	$2(Ra[1] \times Rb[1] (Ra[0] \times Rb[0]) + (Ci0) + (Rd[3:0]) + (Ci1)$	$CoSoRc[3:0]$	$2(64 \times 64) (64 \times 64) + Ci1 + (64 64 64 64) + Ci0$	256 (1bit Cout, & Sout)
ADD	$Ra[3]Ra[2]Ra[1]Ra[0] + Rb[3]Rb[2]Rb[1]Rb[0]$	$CoRc[3:0]$	256, 128	256, 128 (1bit carry)
ADDC	$Ra[3]Ra[2]Ra[1]Ra[0] + 0C3 \ 0C2 \ 0C1 \ 0C0$	$CoRc[3:0]$	256, 128	256, 128 (1bit carry)
SUB	$Ra[3]Ra[2]Ra[1]Ra[0] - Rb[3]Rb[2]Rb[1]Rb[0]$	$CoRc[3:0]$	256, 128	256, 128 (1bit carry /sign)
SUB2X	$(Ra[3]Ra[2]Ra[1]Ra[0]) < 1 - (Rb[3]Rb[2]Rb[1]Rb[0])$	$CoRc[3:0]$ & Sign out	256	256 (1bit carry, & MSB as sign bit)
SUB2xP	$< 1[(Ra[3]Ra[2]Ra[1]Ra[0]) \text{ or } (Rd[3]Rd[2]Rd[1]Rd[0])] - (Rb[3]Rb[2]Rb[1]Rb[0])$	$CoRc[3:0]$ & Sign out	256	256 (1bit carry, & MSB as sign bit)
SHL		$CoRc[3:0]$	256	256 (1bit MSB as sign bit)
MOV	$(Rc[3]Rc[2]Rc[1]Rc[0]) < - (Ra[3]Ra[2]Ra[1]Ra[0])$	$Rc[3:0]$	256, 64	256, 64
MOV_EXT	$(Rn[0]Rm[0]Rb[0]Ra[0]) < - EXT$	Rn, Rm, Rb, Ra	256	256
MOV_Q	$Ra[0] < - Q$	Ra	64	64

Modular Computation Examples

For a given process technology, if an n-bit optimized multiplier can be built so that it can generate 2n-bit multiplication result every cycle, the execution unit can be built with m n-bit multipliers with one $2 \times m \times n$ -bit adder. It can also be built with $m/2$ 4n-bit adder (for even number m). For example, if an execution unit can be built with two 64-bit multipliers and one 256-bit adder using current process technology, it can be built with four 64-bit multipliers and one 512-bit adder or two 128-bit multipliers and one 512-bit adder and so on in subsequent process technology generations. The larger the width of the multipliers and adder, the fewer the number of micro-instructions are needed to complete a modular exponentiation operation.

For a given large number A(256, 512, 768, 1024, 1536, 2048, 4096-bit, etc.), it can be expressed as $A = a_k * (2^n)^k + a_{k-1} * (2^n)^{k-1} + \dots + a_1 * (2^n) + a_0$, where n is the length of operands of the multipliers in the execution unit in base 2. Multi-precision multiplication of A and B is

$$A*B = [a_k * (2^n)^k + a_{k-1} * (2^n)^{k-1} + \dots + a_1 * (2^n) + a_0] * [b_k * (2^n)^k + b_{k-1} * (2^n)^{k-1} + \dots + b_1 * (2^n) + b_0]$$

For an execution unit with two n-bit multipliers and one 4n-bit adder, the sequence of cycle-by-cycle executions of the multiplication is the follows:

	a1b1 a0b0
	a2b1 a0b1
15	a1b2 a1b0
	a1b3 a0b2
	a3b1 a2b0
	a1b4 a0b3
	a4b1 a3b0
20	a1b5 a0b4
	a5b1 a4b0
	a3b3 a2b2
	a1b6 a0b5
	a6b1 a5b0
25	a2b5 a2b3
	a5b2 a3b2
	•
	•
	•
30	$a_{k-1}b_k a_{k-1}b_{k-3}$

$$a_k b_{k-1} || a_{k-3} b_{k-1}$$

$$a_k b_k || a_{k-1} b_{k-1}$$

where $a_i b_j || a_p b_q$, $0 < i, j \leq k$ and $0 \leq p, q < k$, represents that the result of $a_i * b_j$ performed in one multiplier unit is concatenated with the result of $a_p * b_q$ performed in the second multiplier unit. The indentation represents the shift of length n , the size of operands of the multipliers. Two numbers with the same indentation is added with all the bits in the numbers used. When two numbers across the different indentations is added, the lowest n -bits of the first number would be shifted out before adding, i.e. only the highest $3n$ -bits plus carry from the first number are used in addition. The n bits shifted out become the result of multiplication for those corresponding bit positions. The decode unit is capable issuing multiply-and-add instruction so that the multiplication followed by addition operation can be performed for the multi-precision arithmetic.

An example of 512x512 bit multiplication using the instructions in the disclosure for an implementation of the execution unit of two 64-bit multipliers and one 256-bit adder is shown in Table II below:

Table II.

Micro instruction sequence for 512x512 Multiplication of $a7a6a5a4a3a2a1a0$ by $b7b6b5b4b3b2b1b0$.

Cyc.	Instruction	Operation
1.	MUL Rc[3:0],Ra[0]Rb[2],Ra[0]Rb[0]	a0b2a0b0
2.	MAC C01Rc[4:1],Ra[0]Rb[3],Ra[0]Rb[1],Rc[3]Rc[2]Rc[1]R0[0]C0	a0b3a0b1
3.	MAC C02Rc[4:1],Ra[1]Rb[2],Ra[1]Rb[0],Rc[4]Rc[3]Rc[2]Rc[1]C0	a1b2a1b0
4.	MAC C03Rc[5:2],Ra[0]Rb[4],Ra[1]Rb[1],R0[0]Rc[4]Rc[3]Rc[2]C0	a0b4a1b1
5.	MAC C04Rc[5:2],Ra[1]Rb[3],Ra[2]Rb[0],Rc[5]Rc[4]Rc[3]Rc[2]C0	a1b3a2b0
6.	MAC C05Rc[6:3],Ra[0]Rb[5],Ra[2]Rb[1],R0[0]Rc[5]Rc[4]Rc[3]C0	a0b5a2b1
7.	MAC C06Rc[6:3],Ra[1]Rb[4],Ra[3]Rb[0],Rc[6]Rc[5]Rc[4]Rc[3]C0	a1b4a3b0
8.	MAC C07Rc[7:4],Ra[0]Rb[6],Ra[2]Rb[2],R0[0]Rc[6]Rc[5]Rc[4]C0	a0b6a2b2
9.	MAC C08Rc[7:4],Ra[1]Rb[5],Ra[3]Rb[1],Rc[7]Rc[6]Rc[5]Rc[4]C0	a1b5a3b1
10.	MAC C09Rc[7:4],Ra[2]Rb[4],Ra[4]Rb[0],Rc[7]Rc[6]Rc[5]Rc[4]C0	a2b4a4b0
11.	MAC C10Rc[8:5],Ra[0]Rb[7],Ra[2]Rb[3],R0[0]Rc[7]Rc[6]Rc[5]C01	a0b7a2b3
12.	MAC C11Rc[8:5],Ra[1]Rb[6],Ra[3]Rb[2],Rc[8]Rc[7]Rc[6]Rc[5]C02	a1b6a3b2
13.	MAC C12Rc[8:5],Ra[2]Rb[5],Ra[4]Rb[1],Rc[8]Rc[7]Rc[6]Rc[5]C0	a2b5a4b1

14.	MAC C13Rc[8:5],Ra[3]Rb[4],Ra[5]Rb[0],Rc[8]Rc[7]Rc[6]Rc[5]C0	a3b4a5b0
15.	MAC C14Rc[9:6],Ra[1]Rb[7],Ra[3]Rb[3],R0[0]Rc[8]Rc[7]Rc[6]C03	a1b7a3b3
16.	MAC C15Rc[9:6],Ra[2]Rb[6],Ra[4]Rb[2],Rc[9]Rc[8]Rc[7]Rc[6]C04	a2b6a4b2
17.	MAC C16Rc[9:6],Ra[2]Rb[6],Ra[4]Rb[2],Rc[9]Rc[8]Rc[7]Rc[6]C0	a3b5a5b1
18.	MAC C17Rc[9:6],Ra[4]Rb[4],Ra[6]Rb[0],Rc[9]Rc[8]Rc[7]Rc[6]C0	a4b4a6b0
19.	MAC C18Rc[10:7],Ra[2]Rb[7],Ra[4]Rb[3],R0[0]Rc[9]Rc[8]Rc[7]C05	a2b7a4b3
20.	MAC C19Rc[10:7],Ra[3]Rb[6],Ra[5]Rb[2],Rc[10]Rc[9]Rc[8]Rc[7]C06	a3b6a5b2
21.	MAC C20Rc[10:7],Ra[4]Rb[5],Ra[6]Rb[1],Rc[10]Rc[9]Rc[8]Rc[7]C0	a4b5a6b1
22.	MAC C21Rc[10:7],Ra[5]Rb[4],Ra[7]Rb[0],Rc[10]Rc[9]Rc[8]Rc[7]C0	a5b4a7b0
23.	MAC C22Rc[11:8],Ra[3]Rb[7],Ra[5]Rb[3],R0[0]Rc[10]Rc[9]Rc[8]C07	a3b7a5b3
24.	MAC C23Rc[11:8],Ra[4]Rb[6],Ra[6]Rb[2],Rc[11]Rc[10]Rc[9]Rc[8]C08	a4b6a6b2
25.	MAC C24Rc[11:8],Ra[5]Rb[5],Ra[7]Rb[1],Rc[11]Rc[10]Rc[9]Rc[8]C09	a5b5a7b1
26.	MACc C25Rc[12:9],Ra[4]Rb[7],Ra[6]Rb[3],0C22Rc[11]Rc[10]Rc[9]C10,C11	a4b7a6b3
27.	MACc C26Rc[12:9],Ra[5]Rb[6],Ra[7]Rb[2],Rc[12]Rc[11]Rc[10]Rc[9]C12,C13	a5b6a7b2
28.	MACc C27Rc[13:10],Ra[5]Rb[7],Ra[6]Rb[4],0C25Rc[12]Rc[11]Rc[10]C14,C15	a5b7a6b4
29.	MACc C28Rc[13:10],Ra[6]Rb[6],Ra[7]Rb[3],Rc[13]Rc[12]Rc[11]Rc[10]C16,C17	a6b6a7b3
30.	MACc C29Rc[14:11],Ra[6]Rb[7],Ra[6]Rb[5],0C27Rc[13]Rc[12]Rc[11]C18,C19	a6b7a6b5
31.	MACc C30Rc[14:11],Ra[7]Rb[6],Ra[7]Rb[4],Rc[14]Rc[13]Rc[12]Rc[11]C20,C21	a7b6a7b4
32.	MACc C31Rc[15:12],Ra[7]Rb[7],Ra[7]Rb[5],0C29Rc[14]Rc[13]Rc[12]C23,C24	a7b7a7b5
33.	ADD256 Rc[15:12], Rc[15:12],0C30 0C28 0C26 0000	Add carr

For an implementation of two 256-bit multipliers and one 1024-bit adder for the same example ($a1a0 * b1b0$), we have the following instruction sequence:

- 5 (a) multiplying ($a1, b1$) and ($a0, b0$) in parallel;
- (b) multiplying ($a1, b0$) and adding the product to the result of (a);
- (c) multiplying ($b1, a0$) and adding the product to the result of (b).

For square operations, further speed-up can be realized. All the $a_i b_j$ and $a_j b_i$ terms become a_{i+j} and $(a_i b_j + a_j b_i) (2^n)^{(i+j)}$ becomes $2 a_{i+j} (2^n)^{(i+j)}$. Multiplication by 2 in binary system is equivalent to shift-left by 1. A special instruction with multiplication followed by shift left by 1 is included in the instruction set to enable this optimization.

For an execution unit with two n-bit multipliers and one 4n-bit adder, the sequence of cycle-by-cycle executions of the multiplication is the follows:

		$a_1b_1 a_0a_0$
5		$2a_2a_1 2a_0a_1$
		$2a_1a_3 2a_0a_2$
		$2a_1b_4 2a_0b_3$
		$2a_1a_5 2a_0a_4$
		$a_3b_3 a_2b_2$
10		$2a_1a_6 2a_0a_5$
		$2a_2a_5 2a_2a_3$
		•
		•
		•
15		$2a_{k-1}a_k 2a_{k-1}a_{k-3}$
		$a_kb_k a_{k-1}b_{k-1}$

Compared to the case of multiplication, square operation with the special instruction reduces significant number of cycles. The example of an implementation of two 256-bit multipliers and one 1024-bit adder for 512x512 bit square has the following instruction sequence:

- (a) multiplying (a1, a1) and (a0, a0) in parallel;
- (b) multiplying (a1, a0) and shifting left by 1; and
- (c) adding the results of (a) and (c).

Thus the number of cycles needed to perform the 512x512 bit square sequence is reduced.

Although only a few embodiments of the present invention have been described, it should be understood that the present invention may be embodied in many other specific forms without departing from the spirit or the scope of the

invention. For example, additional adders and multipliers can be included in the execution to increase throughput. Therefore, the present examples are to be considered as illustrative and not restrictive, and the invention is not to be limited to the details given herein, but may be modified within the scope of the appended
5 claims.

What is claimed is:

1. An apparatus, comprising:
5 an encryption processor including:
an execution unit configured to execute product and square operations, the execution unit including at least one adder and at least two multipliers;
a decode unit, coupled to the execution unit, the decode unit configured to determine if a square operation or a product operation needs to be performed on an
10 operand, the decode unit further configured to issue instructions so that certain multiply and/or addition operations are performed in parallel in the execution unit while performing either the square or product operation.
2. The apparatus of claim 1, wherein the decode unit is configured to execute a
15 set of instructions that causes the execution unit to perform the multiplication and addition operations in parallel to reduce the number of cycles required to perform the product operation.
3. The apparatus of claim 1, wherein the first set of instructions causes the
20 execution unit to perform the multiplication and addition operations in parallel to reduce the number of cycles required to perform the square operation.
4. The apparatus of claim 3, wherein certain of the multiplication operations are
performed in parallel using a multiply and shift by one instruction.
25
5. The apparatus of claim 1, wherein the execution unit further comprises registers coupled to the multiplication units and the at least one adder.
6. The apparatus of claim 1, wherein the encryption processor further comprises
30 a memory coupled to the execution unit and the decode unit.
7. The apparatus of claim 1, wherein the decode unit is further configured to decode an operation $M = C^d \bmod N$ by:
(a) determining the MSB position of the exponent d equal to a first logic state;

(b) issuing a first set of instructions to implement a square and a product operation after the MSB position of the exponent d equal to a first logic state is determined;

5 (c) determining if the next most significant bit (MSB) of exponent (d) is a of the first digital state or a second digital state; and either

(d) issuing a second set of instructions to the execution unit to implement a square operation if the next MSB is of the second digital state; or

10 (e) issuing the first set of instructions to the execution unit if the next MSB of the exponent is of the first digital state instructions to implement a square and a product operation; and

repeating (c) through (e) for every bit in the exponent (d) from the next MSB to the least significant bit (LSB).

8. The apparatus of claim 7, wherein the final result of the operation $M = C^d \bmod N$ by accumulating the results of (b) through (e). .

9. The apparatus of claim 1, wherein the encryption processor is located in a server and are used to establish a secure socket layer connection between the server and a client.

20 10. The apparatus of claim 9, wherein the encryption processor is embedded in a microprocessor within the server.

25 11. The apparatus of claim 9, wherein the encryption processor is contained on a dedicated processor which is coupled via a bus to a microprocessor in the server.

12. The apparatus of claim 1 wherein the product and square operations executed by the execution unit are Montgomery product and square operations.

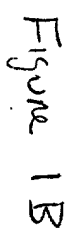
30 13. The apparatus of claim 1, wherein the product and square operations are performed on operands having at least one of the following widths: 256 bits wide; 512 bits wide; 768 bits wide; 1,024 bits wide; 1536 bits wide; 2,048 bits wide; 3072 bits wide; 4,096 bits wide; 8,192 bits wide; 16,384 bits wide; 32,768 bits wide; or 65,536 bits wide.

14. The apparatus of claim 1, wherein the encryption processor is configured into a web server deploying Secure Socket Layer (SSL)/Transport Layer Security(TLS).
- 5 15. The apparatus of claim 1, wherein the encryption processor is configured into a secure switch deploying Secure Socket Layer (SSL)/Transport Layer Security(TLS).
16. The apparatus of claim 1, wherein the encryption processor is configured into an Internet load balance device with Secure Socket Layer (SSL)/Transport Layer
10 Security(TLS) termination functionality.
17. The apparatus of claim 1 wherein the encryption processor is configured into an Internet appliance for a Virtual Private Network.
- 15 18. The apparatus of claim 1 wherein the encryption processor is configured into a security based router.
19. The apparatus of claim 1 wherein the encryption processor is configured into a remote access devices used for VPN applications.
- 20 20. The apparatus of claim 1, wherein the encryption processor is configured into one or more of the following: concentrator-based security systems for enterprise and ISPs; subscriber management systems with VPN support; firewalls with VPN support; and VPN gateways.
- 25

ABSTRACT

Methods and apparatus for an encryption processor for performing accelerated computations to establish secure network sessions. The encryption processor includes an execution unit and a decode unit. The execution unit is configured to execute Montgomery and Montgomery operations and including at least one adder and at least two multipliers. The decode unit is configured determine if a square operation or a product operation needs to be performed and to issue the appropriate instructions so that certain multiply and/or addition operations are performed in parallel in the execution unit while performing the either the Montgomery square or Montgomery product operation.

15



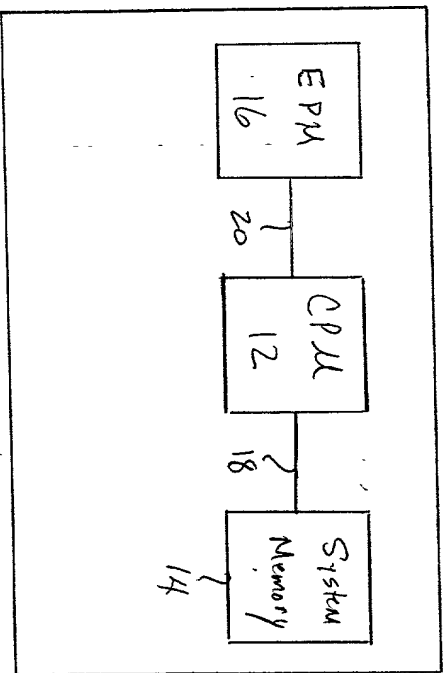
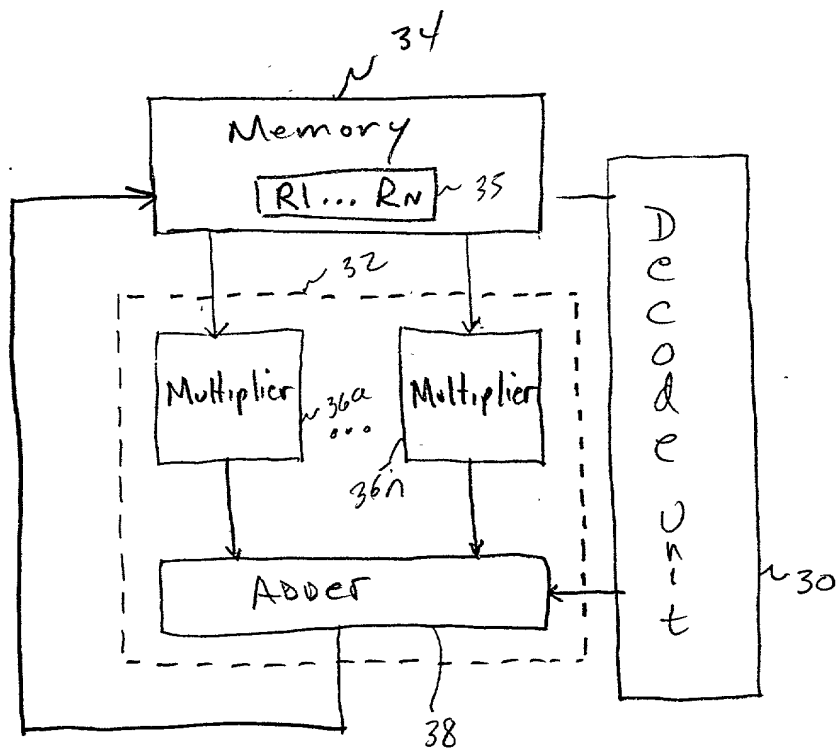


Figure 1C



16

Figure 2

22-141 50 SHEETS
22-142 100 SHEETS
22-144 200 SHEETS



Figure 3

Square Operation

$a_1 a_0$

$a_1 a_0$

$a_1 a_1 \ a_0 a_0$

$2a_1 a_0$

Instruction

Description

Cycle One

MULT R1, $a_1 a_1$, $a_0 a_0$

$a_1 a_1$ and $a_0 a_0$ are multiplied and stored in Register R1

Cycle Two

MAC 2X R2 ($a_1 a_0$), R1

$a_1 a_0$ are multiplied and shifted by one and then added to the contents of R1. The result is stored in R2

Figure 4

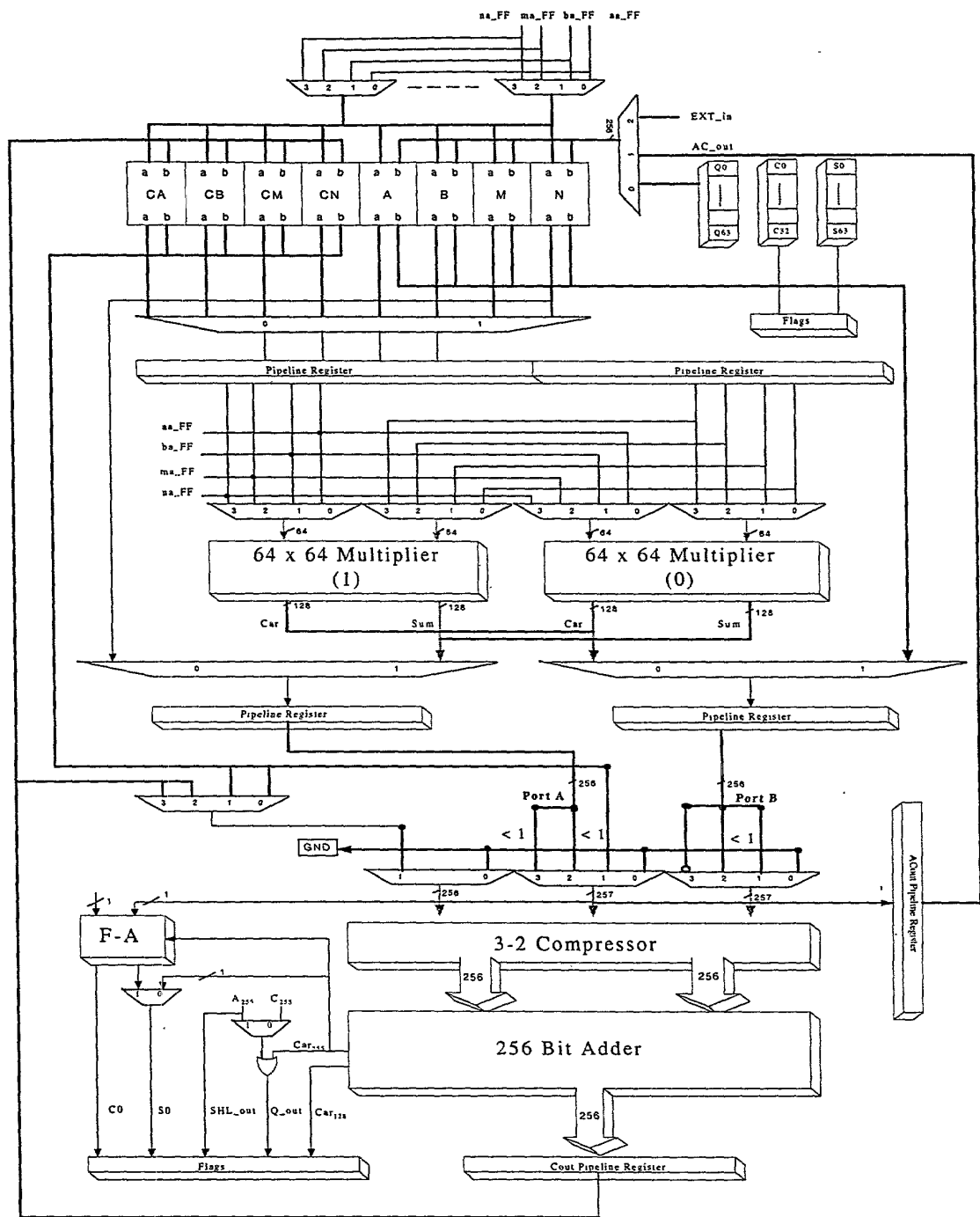


Figure 5